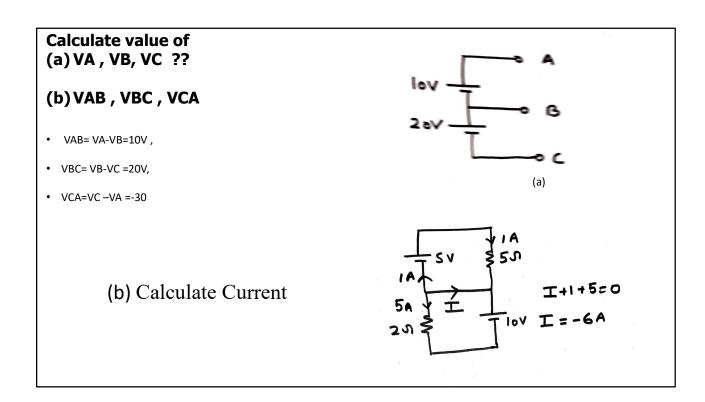
Linear Circuit Theory

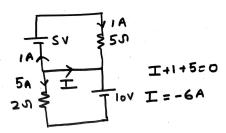
L03: Concepts of dependent source

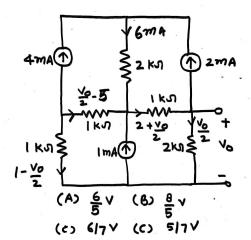
- Solution of Question of last lecture
- Concepts of dependent source
- Questions based on nodal analysis



- (C) Calculate V₀
- $(\frac{\sqrt{6}}{2} 5) \times 1 + (2 + \frac{\sqrt{6}}{2}) + \frac{\sqrt{6}}{6} = 0$ $\sqrt{6} = \frac{\theta}{5} \cdot \sqrt{6}$

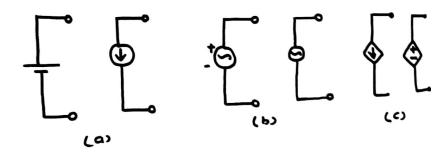
(d) Calculate Voltage across current source





What is independent and what is dependent?

When the magnitude of a voltage or current source depends upon another parameter of the circuit



- (a) Independent DC voltage and current source (b) Independent AC voltage and current source
- (b) dependent DC voltage and current source

Concept behind the dependent source



- Symbol- Type of source
- Magnitude- dependent quantity

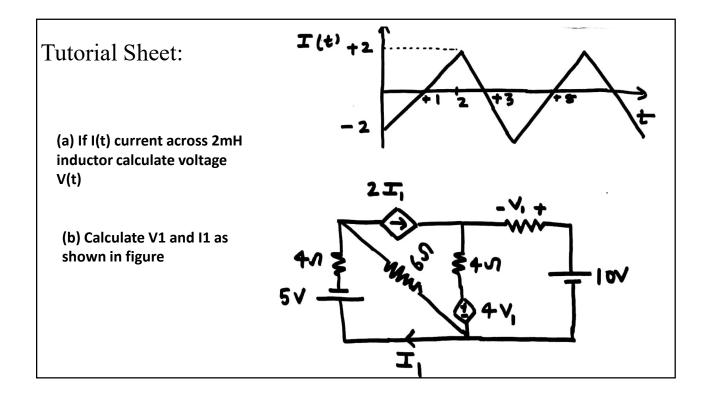
Types of dependent source

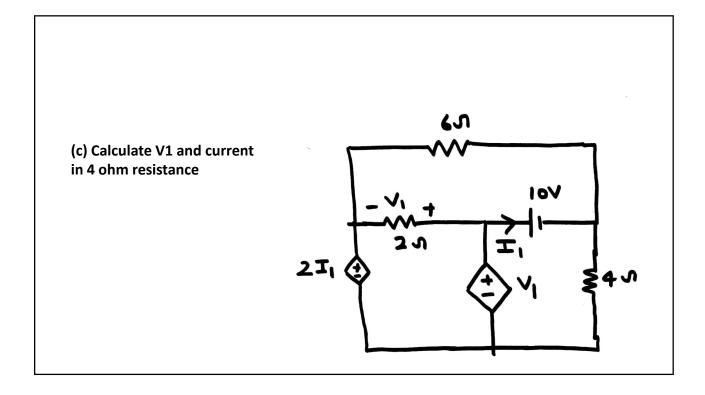
(a)VDVS (b)CDCS (c)VDCS (d)CDCVS

*In case of dependent source same rule is applied as on independent source for solving a circuit proble

Find
$$I_1 + V_1$$

NODE-A, B, C, D
 $V_0 + A V_2 + C$
 $V_1 + A V_2 + C$
 $V_2 + C + C V_3 + C + C V_4 + C V_5$
 $V_2 + C + C V_3 + C + C V_4 + C V_5$
 $V_3 + C V_4 + C V_5 + C V_4 + C V_5 + C V_6$
 $V_4 + C V_5 + C V_6 + C V_6 + C V_6$
 $V_1 = 2 \left(\frac{V_4 - C}{4 + 2} \right), \quad I_1 = \frac{V_4 - 3V_1 - V_6}{4 + 12}$





In Next Lecture

- Answer of tutorial seat Problem
- Concepts of super mesh analysis
- A seat of numerical examples

Thank you